# Production planning in Flexible Manufacturing System by considering the Multi-Objectives 

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#### Abstract

Flexible Manufacturing System (FMS) provides the manufacturing industries to the necessary flexibility and ability to cope up with the current demands defined by the market needs. An FMS usually comprises of four or more work stations which are mechanically interconnected by a unique part handling system and electronically controlled by a distributed controlled system. The operation and control of FMS having many challenges associated with them, which can be categorized into four stages such as designed stage, system setup, scheduling and control stage. Because of inherent flexibility of FMS, there are number of alternates available to the choice of machine to perform a particular operation. The flexibility of FMS system gives many alternative routings. In order to maintain the throughput and efficiency, it is very important to choose the best available route from the multiple routing options. In this paper I considered a case study of FMS in which, three flexible machines and three kinds of products (or) parts are to be machined. I assumed that a machine can do all kinds of operations and Part A have four, Part B have three, and Part C have three machining operations. The machining time and cost of machining is different from each operation. We used Mathematical calculations to minimize the total machining time and tool cost of the Flexible Manufacturing system.


Keywords: Flexible Manufacturing system, Multi-objective optimization, Tool cost, Machining time, Failure of machines.

## 1. INTRODUCTION

The Flexible manufacturing system usually consists of four or more processing stations like turning center, milling center, horizontal machine center, vertical machine center etc., which are interlinked by a common part handling system(AGVs, Robots) as well as tool handling systems (Tool magazine, Automatic tool changer) and automatically controlled by a distributed computer system. It also includes automatic pallet changes, coordinate measuring machine and automatic scrap removal.

Flexible manufacturing system scheduling could be well thought-out as a static scheduling problem, where a fixed set of orders are to be scheduled by using optimization or main concern scheduling. On the other hand, this could also be viewed as a dynamic scheduling problem, where orders arrive periodically for scheduling as daily orders are released from a material requirement planning system or as individual customer's order. The prime importance of FMS scheduling is to enhance the utilization of resources, thereby reducing the idle time and in process inventory by having efficient and effective utilization of resources.

Scheduling helps to achieve its strategic objectives. In practical enumeration procedures coupled with high cost have made it extremely difficult to generate consistently good schedules in medium to large shops.

One can employ multiple approaches to schedule the manufacture of parts to a system. These approaches may vary from system to system and are different for different situations. Some of these approaches include the following:

- To determine the optimal sequence at which the parts of a selected part types are to be given as input into the system. At times these part types must be produced in certain relative ratios. For certain types of FMS systems, it will be appropriate to maintain the periodic input sequence. Sometimes, maintaining a fixed production ratio of part types on the systems may also be considered. Some of the operations can be scheduled by having a fixed predetermined input sequence. While for other operations, a flexible real time decision categorizes for

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which part has to be given as input for the next sequence should be incorporated.

- It is very important to develop appropriate scheduling methods and algorithms. Tools to aid scheduling can range from simple dispatching rules to complex algorithms or procedures incorporated for the future.
- In some cases, when different parts are waiting to be processed by the same machine tool, it is important to identify the priority among these parts. In most of the situations, it will be appropriate to determine an optimal sequence at each machine tool. Many of the usual performance measures such as maximizing the productivity, optimizing a machine utilization time, minimizing the inventory, reaching the due date in the system are relevant.


## 2. LITERATURE REVIEW

Jian- Hung Chen, Shinn-Ying Ho proposed an efficient multi objective genetic algorithm EMOGA for planning flexible manufacturing system of FMS. Minimizing total flow time, machine workload imbalance, greatest machine workload and total tool cost are the four objectives they considered in problem formulation. This problem solved the complex nature by using more than one product, more than one operation, and cost. The convenience of this problem is it can set the preferences among the objective functions [1].
Carl Adam Petri in 1962 formulated the standard Petri net model. It handled many issues like concurrency, running of machines in parallel, resources sharing, synchronization, and sequential actions. Its main defect is that it can't solve multi-sort manufacturing processes in a timed context; timed colored Petri nets are used to solve such situations [2].
Manufacturing process is a thing of the most unexpected uncertainties such as unexpected events, sudden or un indicated machine break downs, sudden surplus orders, order cancellations ets. In spite of the complex nature,
the FMS can be planned efficiently with program formulations [3].
K.Mallikarjuna et al studied the machines arranged in single row assisted by AVG. the programming is made by Simulated Annealing (SA) and Genetic Algorithm. The results obtained by GA are superior to SA. The parameter like transportation cost with machine sequences is determined for single row layout by running the program for five test runs [4].
Imran Ali Chaudhry et al programmed a no waiting flow shop problem. They prepared spreadsheet for the general purpose GA methodology, it was simple and very effective to implement in shop floor. This spreadsheet is prepared to accept the additional workers, machines without changing the logic of the GA route [5].
Rajkiran Bramhane et al studied the FMS with fuzzy logics and neuro techniques. They considered a system with four machines; one AGV, one loadd and one unload station. The job is given priority based on $\mathrm{S} / \mathrm{RO}$ parameter [6].
Omar Selt concluded that, good neighborhood diversification will give best possible and accurate results in FMS. He solved the problem of n tasks on a single machine. To make a comparative study he proposed two heuristics [7].

## 3. PROBLEM STATEMENT

In this paper we focus on operation flexibility in the production planning segment of FMS. Operation flexibility is related with an operation which can be performed on alternative machines with different processing time, transportation time and machining costs. Therefore, optimizations on routing, machines are essential for operation flexibility. The sample problem we took from the literature of Jian-Hung Chen, Shinn-Ying Ho papers about assignment of operations to machines for two objectives, minimizing total flow time and total tool cost are considered in our problems.

| Operation Index |  | Part 1 |  |  |  | Part 2 |  |  | Part 3 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 1 | 2 | 3 | 4 | 1 | 2 | 3 | 1 | 2 | 3 |
|  | Machine 1 | 1 | 3 | 3 | 5 | 9 | 2 | 9 | 7 | 8 | 7 |
| Processing Time | Machine 2 | 7 | 5 | 4 | 6 | 4 | 1 | 4 | 1 | 6 | 2 |
|  | Machine 3 | 6 | 9 | 5 | 1 | 2 | 5 | 1 | 3 | 3 | 5 |
|  | Machine 1 | 1 | 2 | 1 | 6 | 1 | 8 | 4 | 8 | 3 | 6 |
| Machining cost | Machine 2 | 2 | 3 | 7 | 5 | 9 | 2 | 5 | 9 | 8 | 5 |
|  | Machine 3 | 4 | 5 | 4 | 2 | 8 | 7 | 8 | 9 | 6 | 2 |
| Production volume |  | 51 |  |  |  | 39 |  |  | 23 |  |  |

Table. 1 Processing time, Machining costs of different operations on 3 machines and production volume of 3 parts

|  | Machine 1 | Machine 2 | Machine 3 |
| :--- | :--- | :--- | :--- |
| Machine 1 | 4 | 11 | 17 |
| Machine 2 | 11 | 3 | 9 |
| Machine 3 | 7 | 18 | 5 |

Table 2 Travelling time between the Machines

The scheduling of production process by using flexible manufacturing system using three machines with different processing and travelling time at different costs is studied by a numerical calculation. The complexity of the investigation is scheduling
problem in FMS by assuming that all machines are working properly and then some of the machines were stopped working. All these calculations are done by taking different machine indices randomly, large calculations are done.

## 4. MATHEMATICAL CALCULATIONS

## Nomenclature

$\mathrm{t} 1=$ Total processing time of three parts in required Production quantity.
$\mathrm{t} 2=$ Total transportation time in between machines.
$\mathrm{F} 1=(\mathrm{t} 1+\mathrm{t} 2)=$ Total machining and Transportation time .
$\mathrm{F} 2=$ Minimization of total too cost.

## Sample calculations for

| Part Index | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ |
| :--- | :--- | :--- | :--- |
| Operation Index | $\mathbf{1 2 3 4}$ | $\mathbf{1 2 3}$ | $\mathbf{1 2 3}$ |
| Machine Index | 1233 | 123 | 132 |

Step I
a. To find t 1 calculations :
$\mathrm{t} 1=51 \times(1+5+5+1)+39 \times(9+1+1)+23 \times(7+3+2)$
$=51 \times 12+39 \times 11+23 \times 12$
$=612+429+276=1317$.
b. To find t 2 :
$\mathrm{t} 1=51 / 10 \times(11+9+5)+39 / 10 \times(11+9)+23 / 10 \times(17+18)$
$=5.1 \times 25+3.9 \times 20+2.3 \times 35$
$=127.5+78+80.5$
$=286$.
$\mathrm{F} 1=\mathrm{f} 1+\mathrm{f} 2$
$=1317+286=1603$.

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Step II to find F2:

$$
\begin{aligned}
\mathrm{F} 2 & =(1+3+4+2)+(1+2+8)+(8+6+5) \\
& =10+11+19=40
\end{aligned}
$$

## 5. RESULTS AND DISCUSSIONS

### 5.1 Results

The proposed approach can be used to study the optimization in case of failure of few machines. Results for random sequence of operations,

|  | Operation Index |  |  | Total Time |  | Tool Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | t1 | $\mathbf{t 2}$ | F1=t1+t2 | F2 |
| All Machine Working | 1233 | 123 | 132 | 1317 | 286.0 | 1603 | 40 |
| All Machine Working | 2232 | 321 | 213 | 1963 | 330.5 | 2293.5 | 42 |
| All Machine Working | 3211 | 213 | 123 | 1656 | 323.5 | 1979.5 | 57 |
| All Machine Working | 3221 | 312 | 321 | 1700 | 300.1 | 2000.1 | 64 |
| All Machine Working | 3213 | 132 | 312 | 1766 | 412.5 | 2178.5 | 40 |
| All Machine Working | 1322 | 231 | 132 | 1998 | 336.7 | 2334.7 | 57 |
| All Machine Working | 1332 | 321 | 231 | 1792 | 353.9 | 2145.9 | 50 |
| All Machine Working | 2123 | 123 | 213 | 1516 | 249.5 | 1765.5 | 38 |
| All Machine Working | 2132 | 213 | 321 | 1712 | 410.5 | 2122.5 | 61 |
| All Machine Working | 1321 | 132 | 123 | 2085 | 417.1 | 2502.1 | 50 |

Table 3-Total time and Tool cost when all machines are working

|  | Operation Index |  |  | Total Time |  | Tool Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | t1 | t2 | F1=t1+t2 | F2 |
| Machine 1 Fails | 2323 | 223 | 323 | 1627 | 292.5 | 1919.5 | 54 |
| Machine 1 Fails | 2332 | 322 | 332 | 1834 | 298.0 | 2132 | 52 |
| Machine 1 Fails | 2232 | 233 | 322 | 1816 | 255.9 | 2071.9 | 60 |
| Machine 1 Fails | 2233 | 232 | 233 | 1632 | 224.2 | 1856.2 | 56 |
| Machine 1 Fails | 2322 | 332 | 232 | 1893 | 304.8 | 2197.8 | 59 |
| Machine 1 Fails | 3323 | 323 | 223 | 1452 | 296.1 | 1748.1 | 55 |
| Machine 1 Fails | 3223 | 223 | 323 | 1372 | 261.9 | 1633.9 | 54 |
| Machine 1 Fails | 3332 | 233 | 332 | 1900 | 250.3 | 2150.3 | 62 |
| Machine 1 Fails | 3232 | 332 | 322 | 1804 | 367.5 | 2171.5 | 58 |
| Machine 1 Fails | 3233 | 323 | 233 | 1230 | 300.7 | 1530.7 | 48 |

Table 4 -Total time and Tool cost when machine 1 fails

|  | Operation Index |  |  | Total Time |  | Tool Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | t1 | t2 | F1=t1+t2 | F2 |
| Machine 2 Fails | 1131 | 113 | 313 | 1550 | 279.9 | 1829.9 | 44 |
| Machine 2 Fails | 3111 | 331 | 133 | 1836 | 173.9 | 2009.9 | 48 |
| Machine 2 Fails | 1311 | 131 | 331 | 2114 | 264.0 | 2378 | 46 |
| Machine 2 Fails | 3113 | 313 | 131 | 1249 | 291.6 | 1540.6 | 53 |
| Machine 2 Fails | 1113 | 133 | 113 | 1453 | 261.6 | 1714.6 | 35 |

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| Machine 2 Fails | 3131 | 311 | 313 | 1844 | 244.5 | 2088.5 | 50 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Machine 2 Fails | 1133 | 131 | 113 | 1867 | 274.5 | 2141.5 | 34 |
| Machine 2 Fails | 3133 | 313 | 311 | 1374 | 266.8 | 1640.8 | 54 |
| Machine 2 Fails | 1313 | 113 | 331 | 1481 | 318.6 | 1799.6 | 47 |
| Machine 2 Fails | 3311 | 331 | 131 | 2188 | 183.6 | 2371.6 | 55 |

Table 5 -Total time and Tool cost when machine 2 fails

|  | Operation Index |  |  |  | Total Time |  |  |  |  |  |  | Tool Cost |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: | :---: |
| Description | Part 1 | Part 2 | Part 3 | t1 | t2 | F1=t1+t2 | F2 |  |  |  |  |  |
| Machine 3 Fails | 2211 | 212 | 112 | 1801 | 212.1 | 2013.1 | 50 |  |  |  |  |  |
| Machine 3 Fails | 1212 | 122 | 221 | 1633 | 255.1 | 1888.1 | 41 |  |  |  |  |  |
| Machine 3 Fails | 2122 | 121 | 212 | 2014 | 263.9 | 2277.9 | 40 |  |  |  |  |  |
| Machine 3 Fails | 1122 | 221 | 121 | 1720 | 197.0 | 1917 | 52 |  |  |  |  |  |
| Machine 3 Fails | 2121 | 112 | 122 | 1899 | 259.0 | 2158 | 52 |  |  |  |  |  |
| Machine 3 Fails | 1112 | 212 | 211 | 1421 | 217.2 | 1638.2 | 49 |  |  |  |  |  |
| Machine 3 Fails | 2112 | 112 | 121 | 2014 | 241.7 | 2255.7 | 46 |  |  |  |  |  |
| Machine 3 Fails | 1211 | 211 | 212 | 1552 | 241.7 | 1793.7 | 49 |  |  |  |  |  |
| Machine 3 Fails | 2111 | 221 | 112 | 1855 | 186.0 | 2041 | 42 |  |  |  |  |  |
| Machine 3 Fails | 1121 | 121 | 221 | 1726 | 250.6 | 1976.6 | 46 |  |  |  |  |  |

Table 6 -Total time and Tool cost when machine 3 fails

|  | Operation Index |  |  | Total Time |  | Tool <br> Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | t1 | t2 | F1=t1+t2 | F2 |
| M1 Partially fails | 2323 | 132 | 123 | 2187 | 366.1 | 2553.1 | 47 |
| M1 Partially fails | 3233 | 321 | 213 | 1657 | 340.7 | 1997.7 | 41 |
| M1 Partially fails | 2332 | 123 | 321 | 2174 | 307.9 | 2481.9 | 51 |
| M1 Partially fails | 3232 | 213 | 132 | 1671 | 419.2 | 2090.2 | 60 |
| M1 Partially fails | 2232 | 312 | 123 | 1899 | 269.2 | 2168.2 | 53 |
| M1 Partially fails | 3332 | 231 | 312 | 2327 | 246.6 | 2573.6 | 55 |
| M1 Partially fails | 2233 | 321 | 213 | 1708 | 264.2 | 1972.2 | 39 |
| M1 Partially fails | 3223 | 132 | 321 | 1886 | 356.2 | 2242.2 | 52 |
| M1 Partially fails | 2322 | 123 | 132 | 2031 | 311.5 | 2342.5 | 47 |
| M1 Partially fails | 3323 | 213 | 123 | 1707 | 318.4 | 2025.4 | 61 |

Table 7 -Total time and Tool cost when machine 1 fails partially

|  | Operation Index |  |  | Total Time |  | Tool <br> Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | Description | Part 1 | Part 2 | Part 3 |
|  |  |  |  |  |  |  |  |
| M2 Partially fails | 3311 | 312 | 132 | 1761 | 332.3 | 1993.3 | 56 |
| M2 Partially fails | 1313 | 321 | 123 | 1596 | 368.2 | 1964.2 | 41 |
| M2 Partially fails | 3133 | 213 | 321 | 1406 | 323.8 | 1729.8 | 60 |
| M2 Partially fails | 1133 | 132 | 213 | 1534 | 333.5 | 1867.5 | 36 |
| M2 Partially fails | 3131 | 123 | 132 | 1674 | 316.6 | 1990.6 | 46 |
| M2 Partially fails | 1113 | 231 | 312 | 1409 | 231.3 | 1640.3 | 43 |
| M2 Partially fails | 3113 | 321 | 231 | 1384 | 292.7 | 1676.7 | 44 |
| M2 Partially fails | 1311 | 132 | 123 | 2034 | 325.3 | 2359.3 | 44 |
| M2 Partially fails | 3111 | 213 | 321 | 1508 | 252.4 | 1760.4 | 61 |

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| M2 Partially fails | 1131 | 123 | 213 | 1465 | 285.2 | 1750.2 | 41 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

Table 8 -Total time and Tool cost when machine 2 fails partially

|  | Operation Index |  |  | Total Time |  | Tool <br> Cost |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Description | Part 1 | Part 2 | Part 3 | Description | Part 1 | Part 2 | Part 3 |
| M3 Partially fails | 1211 | 123 | 132 | 1419 | 291.1 | 1710.1 | 41 |
| M3 Partially fails | 2112 | 321 | 213 | 1759 | 310.1 | 2069.1 | 38 |
| M3 Partially fails | 2211 | 213 | 123 | 1707 | 247.0 | 1954 | 55 |
| M3 Partially fails | 1212 | 132 | 321 | 1835 | 371.5 | 2206.5 | 46 |
| M3 Partially fails | 2121 | 231 | 132 | 1947 | 311.2 | 2258.2 | 56 |
| M3 Partially fails | 1112 | 312 | 231 | 1228 | 203.9 | 1431.9 | 51 |
| M3 Partially fails | 2122 | 321 | 312 | 1787 | 282.0 | 2069 | 47 |
| M3 Partially fails | 1122 | 123 | 213 | 1465 | 234.2 | 1699.2 | 40 |
| M3 Partially fails | 2111 | 213 | 123 | 1605 | 252.1 | 1857.1 | 54 |
| M3 Partially fails | 1121 | 132 | 321 | 1733 | 335.8 | 2068.8 | 52 |

Table 8 -Total time and Tool cost when machine 2 fails partially

### 5.2 Discussion

## Formulation of problem:

In this paper, an attempt is made by considering some additional constrains like all machines are working, first machine is not working, second machine is not working, and third machine is not working.
We also done the calculations related to the conditions when any one of the machine get stopped working, like machine one partially failed, machine two partially failed and machine three partially failed. These working conditions are considered by taking the various operational indices on different machines by randomly selection. By taking all these constraints, corresponding objective function values i.e. F1 and F2 are calculated.

Another important constraint we have taken is a machine does not work while manufacturing a particular product, but it works while manufacturing of other two products. We have also considered other conditions like, Machine 1 completely fails, Machine 2 completely fails and Machine 3 fails completely.

- When all machines are working: The results show that operation index 1233, 123, 132 gives the least manufacturing time for manufacturing of three types of products. And this operation index gives the minimum total tool cost.
- When machine one fails: The results show that operation index 3233, 323, 233 gives the least manufacturing time for manufacturing of three types of products,
and this operation index gives the minimum total tool cost.
- When machine two fails: The results show that operation index 3113, 313, 131 gives the least manufacturing time for manufacturing of three types of products, and the operation index 1131, 113, 313 gives the total tool cost minimum.
- When machine three fails: The results show that operation index 1112, 212, 211 gives the least manufacturing time for manufacturing of three types of products, and the operation index 2122, 121, 212 gives the total tool cost minimum.
- When machine one partially fails: The results show that operation index 2233, 321, 213 gives the least manufacturing time for manufacturing of three types of products, and this operation index gives the minimum total tool cost.
- When machine two partially fails: The results show that operation index 1113, 231, 312 gives the least manufacturing time for manufacturing of three types of products, and operation index 1133, 132, 213 gives the total tool cost minimum.
- When machine three partially fails: The results show that operation index 1112, 312, 231 gives the least manufacturing time for manufacturing of three types of products, and operation index 2112, 321, 213 gives the total tool cost minimum.


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## 6. CONCLUSIONS

The paper identified the different operations index on machines in production planning of Flexible manufacturing system by considering the objective functions as minimizing the manufacturing time, flow time and total tool cost. The objective function values are calculated for randomly selected operation index sequence when all the three machines are working, when machine one fails, machine two fails, machine three fails and machine one partially fails, machine two partially fails, machine partially fails. The results show that when all the machines are working, the objective function values are better for operations indexes $1233,123,132$ for manufacturing of three parts i.e. Part A, B\&C. From the tabulated results it is observed that when machine one fails the values of F1, F2 i.e. total flow time and tool cost is better than the machine two and machine three fails that means it is advisable to maintain the machine two, three properly to avoid failures. The tool cost that is F2 is better when machine two fails and machine three partially fails. From the results it is observed that any one single operation index is not fulfilling both the objectives. But we can suggest the best operation index for the minimization of total flow time and tool cost. Depending upon their objective function we can select the operation index while doing the production planning. In future we are planning to develop an algorithm for identifying better operation index that depending on the objective function that can be achieved when all machines are working or if any one of the machine get failed.

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